

Calculation formulas

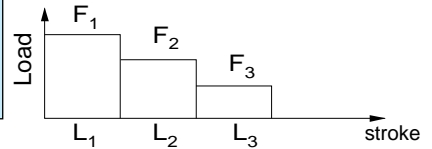
1. Dynamic load rating
(N) and
Basic life rating

$$L_{10} = \left(\frac{C_a}{F_m} \right)^3 \text{ or } C_{req} = F_m (L_{10})^{1/3}$$

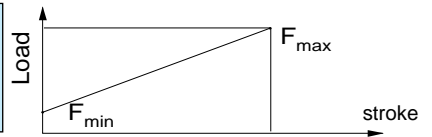
L_{10} = life (million of revolutions)
 C_a = basic dynamic load rating
 C_{req} = required dynamic load rating
 F_m = cubic mean load (N)

2. Cubic mean load
(N)

$$F_m = \frac{(F_1^3 L_1 + F_2^3 L_2 + F_3^3 L_3 + \dots)^{1/3}}{(L_1 + L_2 + L_3 + \dots)^{1/3}}$$



$$F_m = \frac{F_{min} + 2F_{max}}{3}$$



3. Critical speed of screw shaft
(no safety factor)
(rpm)
(a factor of 0,8 is generally recommended)

$$n_{cr} = 490 \cdot 10^5 \cdot \frac{f_1 d_2}{l^2}$$

d_2 = root diameter (mm)
 l = free length, or distance between the two support bearings (see page 6)
 f_1 = 0,9 ●● fixed, free
 3,8 ●●● fixed, supported
 5,6 ●●●● fixed, fixed

4. Speed limit of the mechanism
(maxi speed applied through very short periods)

For instance : $n \times d_0 < 50\,000$ with composite inserts for SX - SN
 $n \times d_0 < 90\,000$ for SL
 if $> 50\,000/90\,000$, consult SKF

n = revolutions per minute
 d_0 = screw shaft nominal diameter

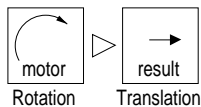
5. Buckling strength
(with a safety factor : 3)
(N)

$$F_c = \frac{34000 \cdot f_3 \cdot d_2^4}{l^2}$$

d_2 = root diameter (mm)
 l = free length, or distance between the two support bearings (see page 6)
 f_3 = mounting correction factor
 0,25 ●● fixed, free
 1 ●●● supported, supported
 2 ●●●● fixed, supported
 4 ●●●●● fixed, fixed

6. Theoretical efficiency

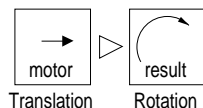
- direct
(η)



$$\eta = \frac{1}{1 + \frac{K \cdot d_0}{P_h}}$$

$K = 0,02$ for SH
 $K = 0,018$ for SX, SL, SN, TN, PN, TL
 d_0 = nominal diameter of screw shaft
 P_h = lead (mm)

- indirect
(η')



$$\eta' = 2 - \frac{1}{\eta}$$

7. Practical efficiency
(η_p)

$$\eta_p = \eta \cdot 0,9$$

The value 0,9 used is an average value between the practical efficiency of a new screw and that of a properly run in screw. It should be used for industrial applications in all normal working conditions. For extreme cases, call us.

Calculation formulas

8. Input torque in a steady state
(Nm)

$$T = \frac{F \cdot P_h}{2000 \cdot \pi \cdot \eta_p}$$

F = maximum load of the cycle (N)
P_h = lead (mm)
η_p = practical efficiency

9. Power required in a steady state
state (W)

$$P = \frac{F \cdot n \cdot P_h}{60000 \cdot \eta_p}$$

n = revolutions per minute

10. Preload torque
(Nm)

$$T_{pr} = \frac{F_{pr} \cdot P_h}{1000 \cdot \pi} \left(\frac{1}{\eta_p} - 1 \right)$$

F_{pr} = preload force between a nut and the shaft (N)

11. Restraining torque
(Nm)
(considering system backdriving)

$$T_B = \frac{F \cdot P_h \cdot \eta'}{2000 \cdot \pi}$$

F = load (N)
For safety, we can use the theoretical indirect efficiency
η' = indirect efficiency

12. Nominal motor torque when accelerating
(Nm)

For a horizontal screw

$$T_t = T_f + T_{pr} + \frac{P_h [F + m_L \cdot \mu_f \cdot g]}{2000 \cdot \pi \cdot \eta_p} + \dot{\omega} \Sigma I$$

For a vertical screw

$$T_t = T_f + T_{pr} + \frac{P_h [F + m_L \cdot g]}{2000 \cdot \pi \cdot \eta_p} + \dot{\omega} \Sigma I$$

T_f = torque from friction in support bearings, motors, seals, etc... (Nm)

T_{pr} = preload torque

μ_f = coefficient of friction

η_p = real direct efficiency

ω̇ = angular acceleration (rad/s²)

m_L = mass of the load (kg)

g = acceleration of gravity (9,8 m/s²)

ΣI = I_M + I_L + I_S · l · 10⁻⁹

13. Nominal braking torque when decelerating
(Nm)

For a horizontal screw

$$T'_t = T_f + T_{pr} + \frac{P_h \cdot \eta' \cdot [F + m_L \cdot \mu_f \cdot g]}{2000 \cdot \pi} + \dot{\omega} \Sigma I$$

For a vertical screw

$$T'_t = T_f + T_{pr} + \frac{P_h \cdot \eta' \cdot [F + m_L \cdot g]}{200 \cdot \pi} + \dot{\omega} \Sigma I$$

$$I_L = m_L \left(\frac{P_h}{2 \pi} \right)^2 10^{-6}$$

η' = theoretical indirect efficiency

I_M = inertia of motor (kgm²)

I_S = inertia of screw shaft per metre (kgmm²/m)

l = length of screw shaft (mm)